

# Massive stars as cosmic engines:

*Commitment to companion(s), and implications for GW astronomy*

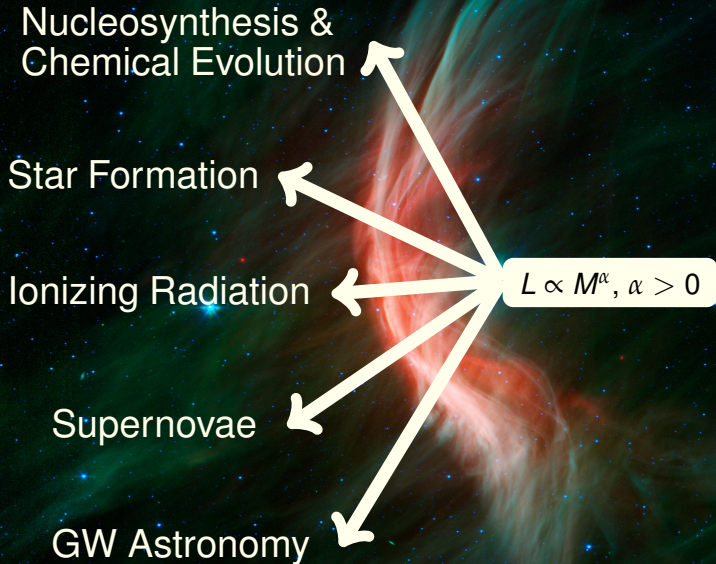
Mathieu Renzo

**Collaborators:** S. E. de Mink, E. Zapartas, Y. Götberg,  
F. R. N. Schneider, R. G. Izzard, H. Sana,  
R. Farmer, S. Justham, S. N. Shore, C. D. Ott

NASA, JPL-Caltech, Spitzer Space Telescope



# Why are massive stars interesting?





# Why are massive stars interesting?

Nucleosynthesis & Chemical Evolution

Star Formation

Ionizing Radiation

Supernovae

GW Astronomy

**~70% of O type stars are in close binaries**

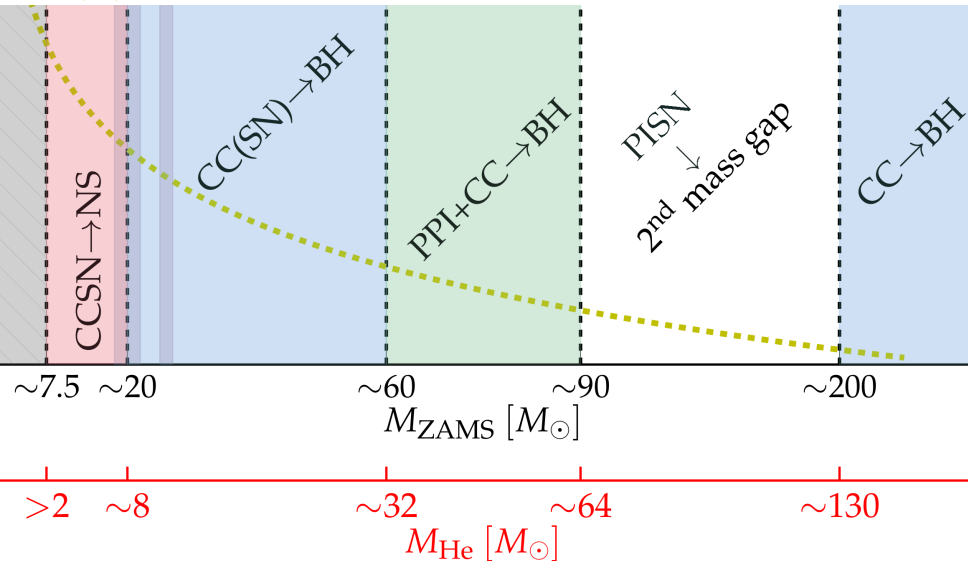
(e.g., Mason *et al.* '09, Sana & Evans '11, Sana *et al.* '12, Kiminki & Kobulnicky '12, Kobulnicky *et al.* '14, Almeida *et al.* '16)

**~10% of O type stars are runaways**

**( $v \gtrsim 30 \text{ km s}^{-1}$ )**

(e.g., Blaauw '61, Gies '87, Stone '91)

$$IMF(M) \propto M^{-2.3}$$



## Stellar winds: NS or BH?

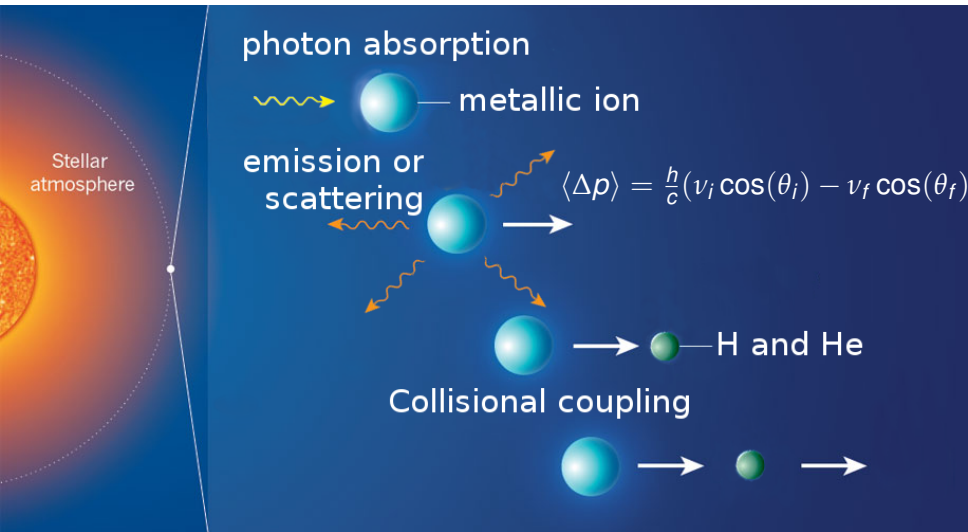
- Line driving mechanism

## Core Collapse in a Binary

- Massive “widowed” stars

## Pulsational Pair Instability

- BH mass function above  $\sim 30 M_{\odot}$



Problems: High Non-Linearity and Clumpiness



## Inhomogeneities:

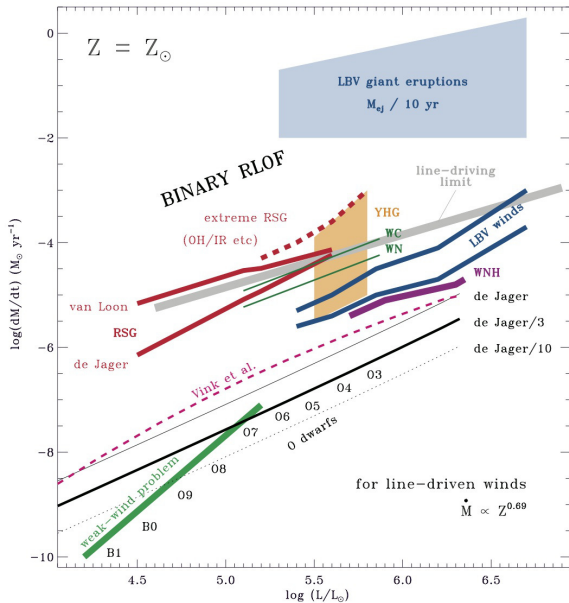
$$f_{\text{cl}} \stackrel{\text{def}}{=} \frac{\langle \rho^2 \rangle}{\langle \rho \rangle^2} \neq 1 \Rightarrow \dot{M} \neq 4\pi r^2 \rho v(r)$$

## Risk:

Possible overestimation of the  
wind mass loss rate

## Inhomogeneities:

$$f_{\text{cl}} \stackrel{\text{def}}{=} \frac{\langle \rho^2 \rangle}{\langle \rho \rangle^2} \neq 1 \Rightarrow \dot{M} \neq 4\pi r^2 \rho v(r)$$



(Semi-)Empirical  
parametric models.

Efficiency factor:

$$\dot{M}(L, T_{\text{eff}}, Z, R, M, \dots)$$

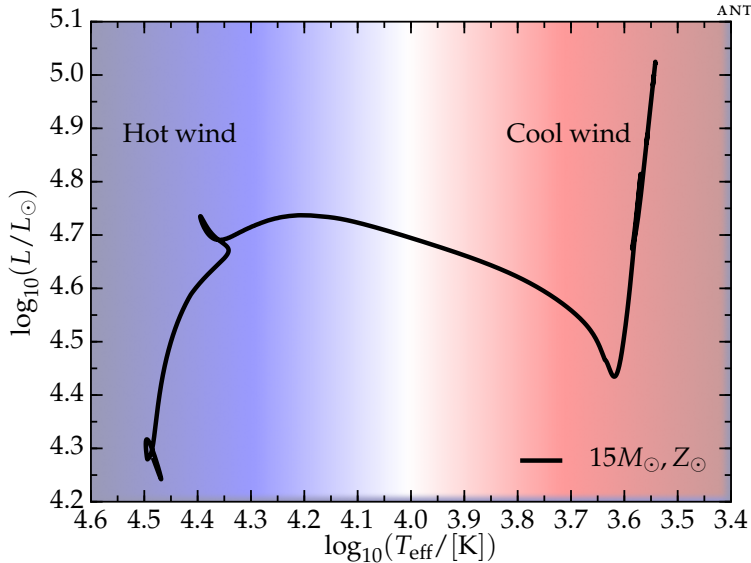


$$\eta \dot{M}(L, T_{\text{eff}}, Z, R, M, \dots)$$

$\eta$  is a **free** parameter:

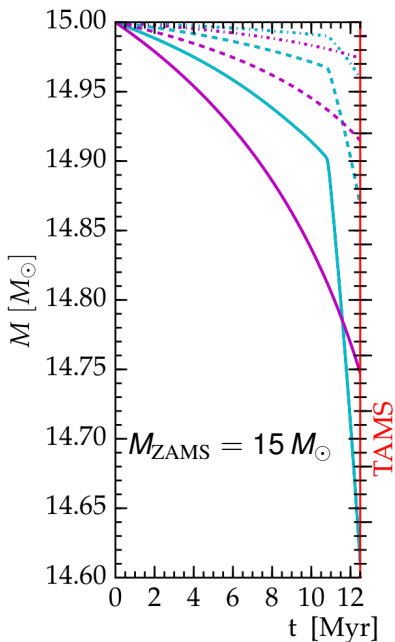
$$\eta \in [0, +\infty)$$

Figure: from N. Smith 2014, ARA&A, 52, 487

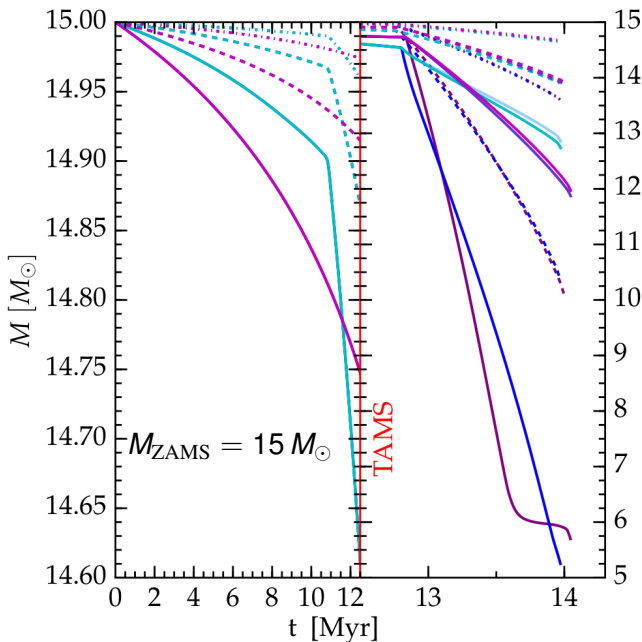


WR wind  $\Leftrightarrow X_s < 0.4$

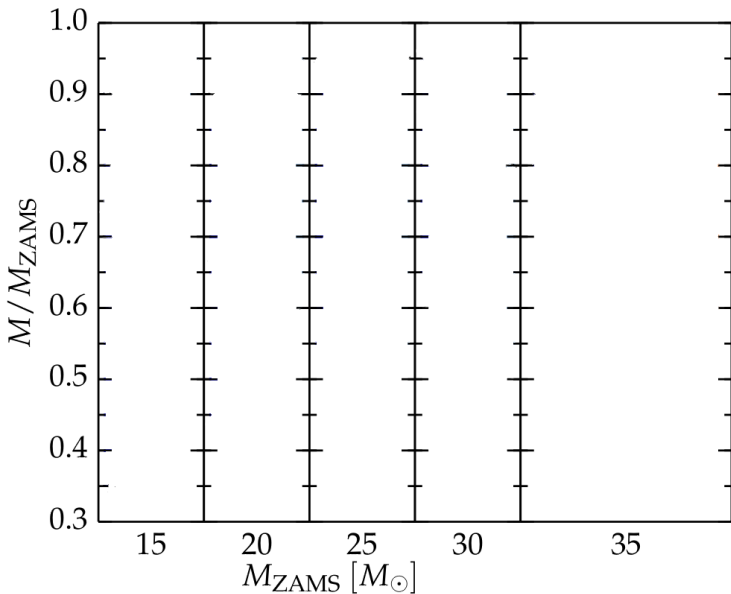




- $\eta = 1.0$
- - -  $\eta = 0.33$
- ⋯  $\eta = 0.1$
- V-dJ
- K-vL
- V-vL
- V-NJ
- K-NJ
- K-dJ



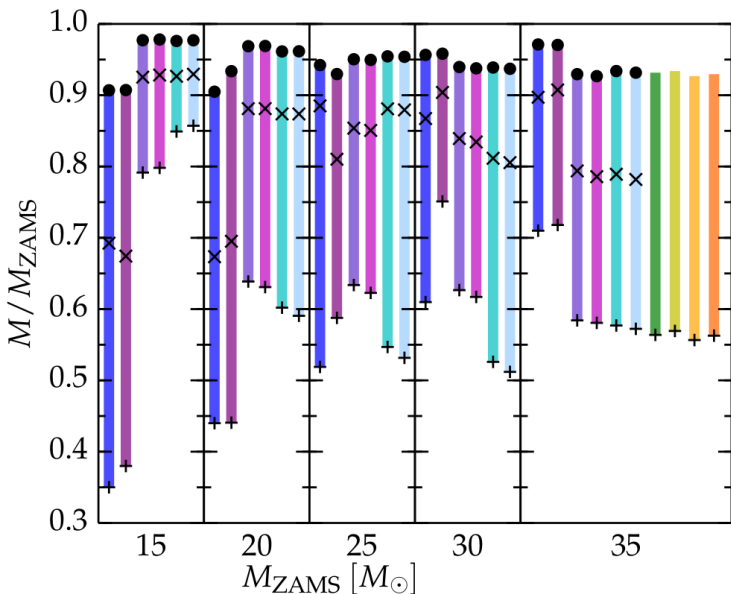
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MESA

Legend:

- $\eta = 0.1$
- x  $\eta = 0.33$
- +  $\eta = 1.0$



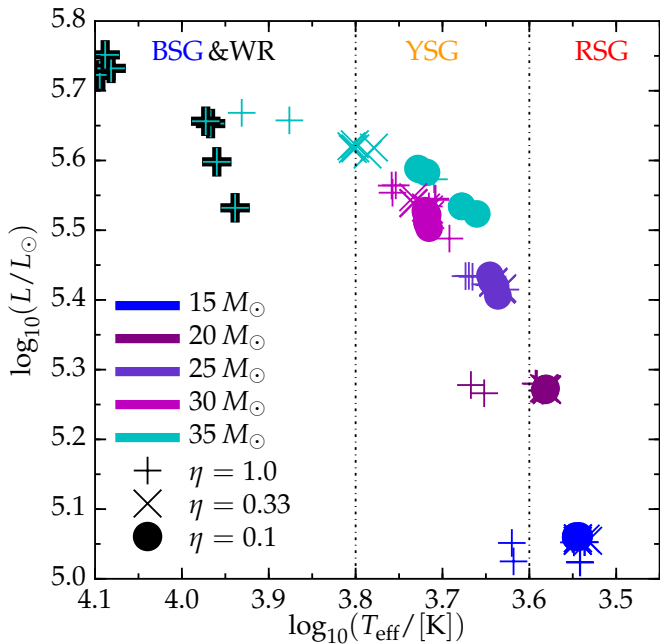
MESA

**Legend:**

- $\eta = 0.1$
- ✕  $\eta = 0.33$
- +  $\eta = 1.0$

$\eta \rightarrow$  largest  
uncertainty





# “Explodability” & Compactness



$$\zeta_{\mathcal{M}}(t) \stackrel{\text{def}}{=} \frac{\mathcal{M}/M_{\odot}}{R(\mathcal{M})/1000 \text{ km}}$$

- “Large”  $\zeta_{2.5} \Rightarrow$  harder to explode  $\Rightarrow$  BH formation
- “Small”  $\zeta_{2.5} \Rightarrow$  easier to explode  $\Rightarrow$  NS formation

(e.g., O'Connor & Ott '11,  
Ugliano *et al.* '12,  
Sukhbold & Woosley '14,  
Ertl *et al.* '16)

$$\mathcal{M} = 2.5 M_{\odot}$$

not to scale!

$R(\mathcal{M})$

# “Explodability” & Compactness

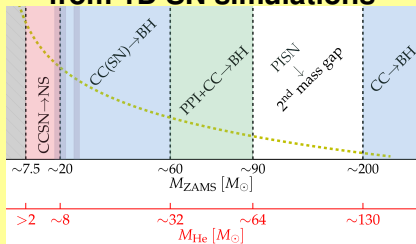
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$$M = 2.5 M_{\odot}$$

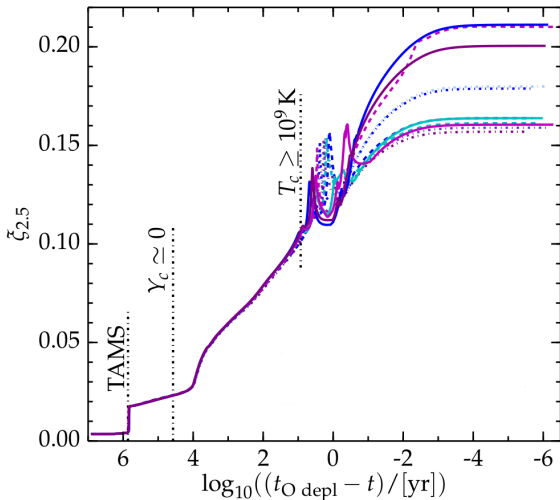
**Caveat:**  
from 1D SN simulations



not to scale!

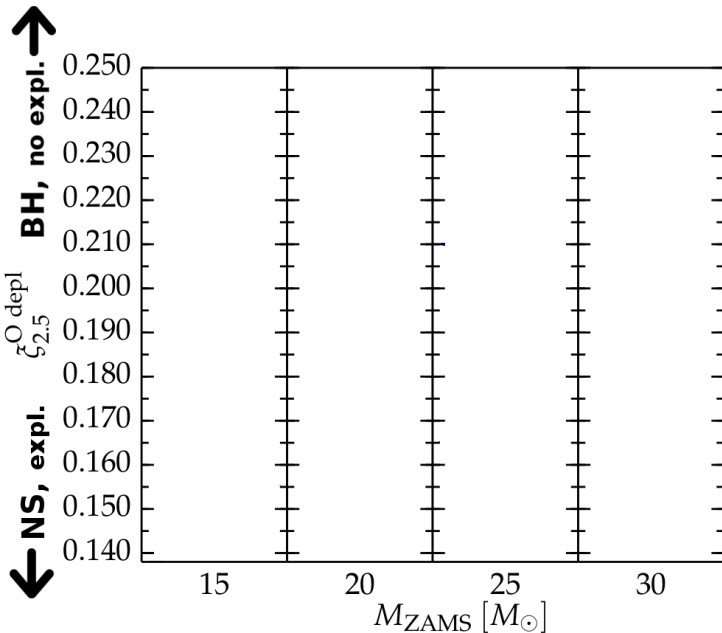
$R(\mathcal{M})$

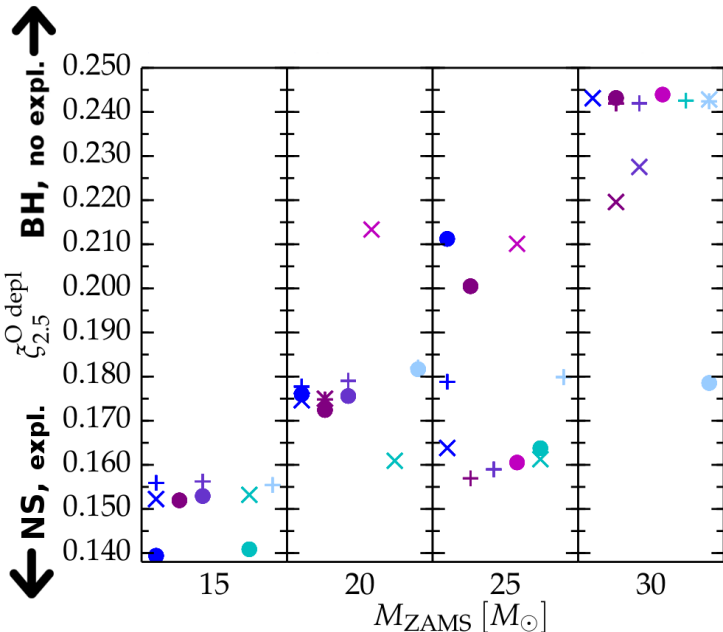
$M_{ZAMS} = 25 M_{\odot}$  MESA models



Critical point: Ne core burning/C shell burning







### Legend:

- $\bullet$   $\eta = 0.1$
- $\times$   $\eta = 0.33$
- $+$   $\eta = 1.0$

Post O burning  
evolution

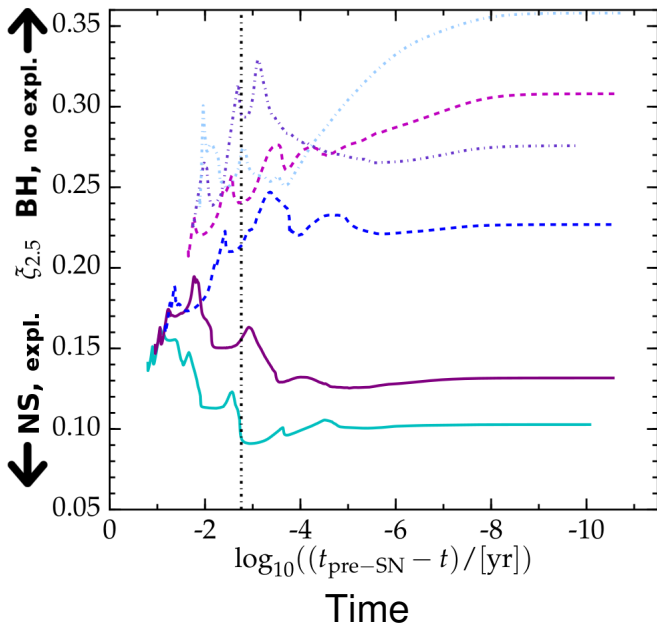


Core contraction



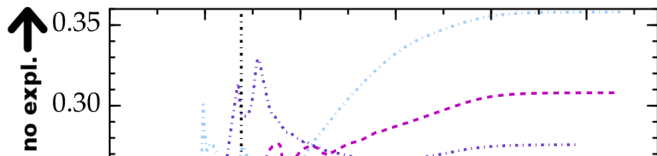
**Amplification of  
the differences.**

Si shell burning →



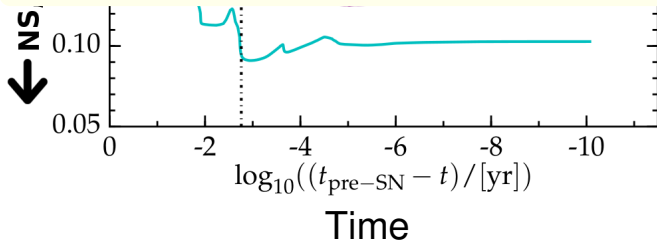
- $15M_{\odot}, \eta = 1.0$
- - -  $25M_{\odot}, \eta = 0.33$
- ⋯  $30M_{\odot}, \eta = 0.33$

Si shell burning →



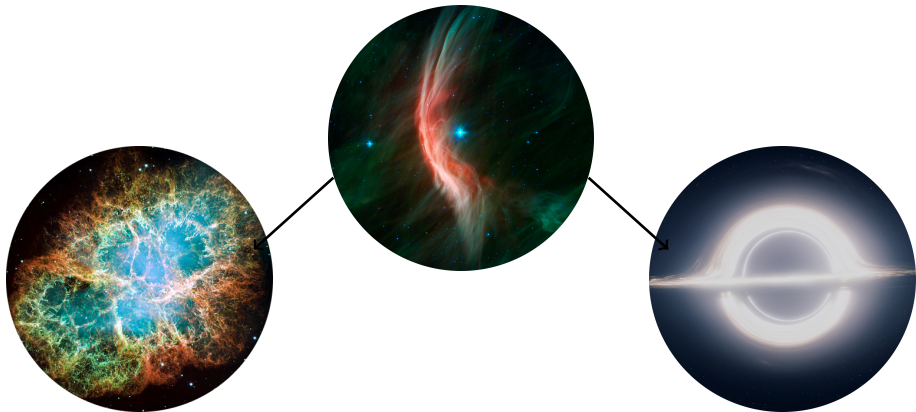
~30% Uncertainty in  $\zeta_{2.5}^{\text{pre-SN}}$

$M_{\text{ZAMS}} [M_{\odot}]$	$\eta$	ID	$\zeta_{2.5}^{\text{pre-SN}}$	$M_4 [M_{\odot}]$	$\mu_4$	$M_{\rho_6} [M_{\odot}]$	$M_{\text{CO}} [M_{\odot}]$	$M_{\text{Fe}} [M_{\odot}]$
15	1.0	V-NJ	0.103	1.71	0.045	1.68	2.91	1.39
		K-vL	0.132	1.78	0.051	1.79	3.07	1.50
25	0.33	V-vL	0.227	1.73	0.084	1.84	6.38	1.51
		K-dJ	0.308	2.05	0.100	2.19	6.40	1.63
30	0.33	V-dJ	0.358	1.60	0.163	2.21	7.98	1.56
		K-NJ	0.276	1.82	0.100	1.98	7.90	1.58



## Uncertainties in stellar winds:

- pre-SN mass  $\Rightarrow$  no  $M_f \equiv M_f(M_{ZAMS})$  map;
- core structure  $\Rightarrow$  “explodability” & remnant.



## Stellar winds: NS or BH?

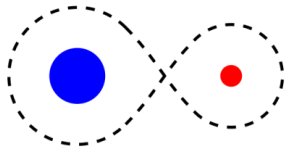
- Line driving mechanism

## Core Collapse in a Binary

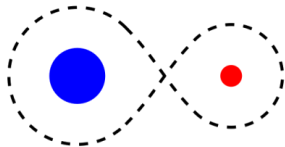
- Massive “widowed” stars

## Pulsational Pair Instability

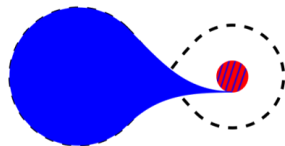
- BH mass function above  $\sim 30 M_{\odot}$



Initial close binary

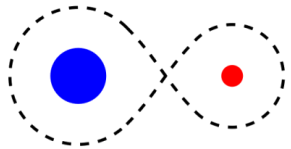


Initial close binary

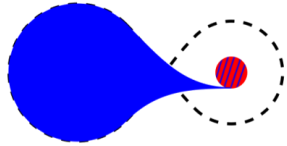


Orbit Widens

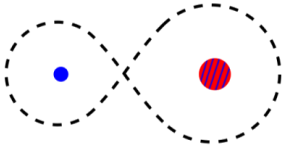




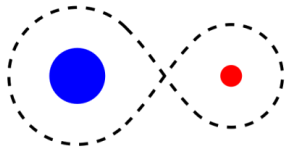
Initial close binary



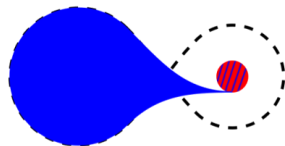
Orbit Widens



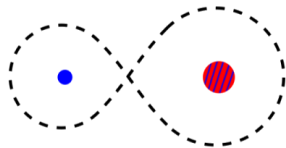
Stripped star + Accretor



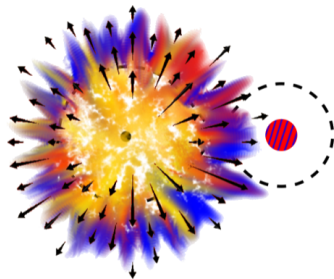
Initial close binary



Orbit Widens



Stripped star + Accretor



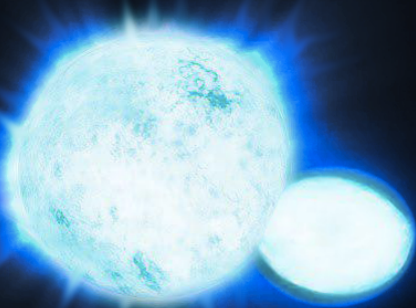
Core Collapse & Disruption



Binary interactions modify the star to be ejected

# What exactly disrupts the binary?

$\gtrsim 80\%$  of binaries are disrupted



- Unbinding Matter

(e.g., Blaauw '61)

- Ejecta Impact

(e.g., Wheeler *et al.* '75,

Tauris & Takens '98, Liu *et al.* '15)

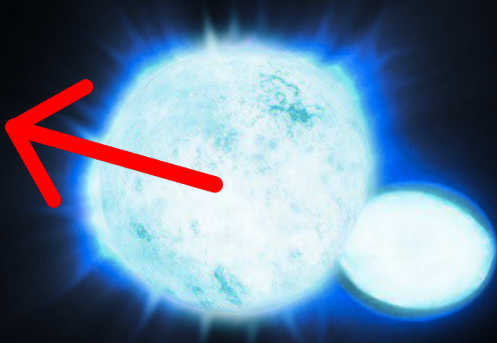
- SN Natal Kick

(e.g., Shklovskii '70, Janka '16)

$$v_2^{\text{post-SN}} \approx v_{2,\text{orb}}^{\text{pre-SN}}$$

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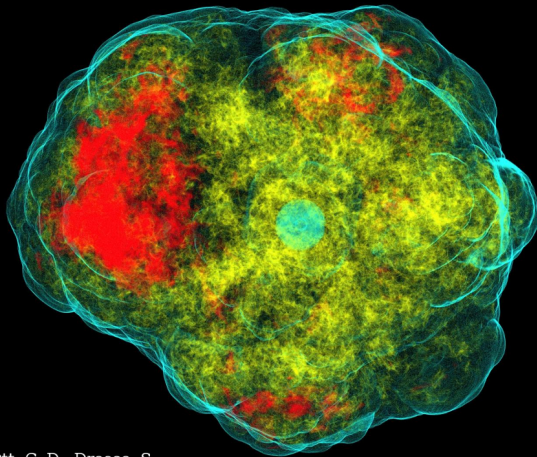
- **SN Natal Kick**

(e.g., Shklovskii '70, Janka '16)

$$v_2^{\text{post-SN}} \approx v_{2,\text{orb}}^{\text{pre-SN}}$$

# SN natal kick

$\nu$  emission and/or ejecta anisotropies



Credits: Ott, C. D., Drasco, S.

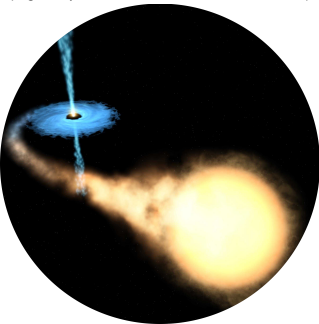
...from disrupted binaries

- BH kicks
- Binary evolution

# Do BH receive natal kicks?

Spatial distribution  
of X-ray binaries

(e.g., Repetto *et al.* '12,'15,'16, Mandel '16)

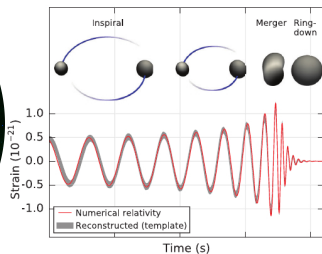


Massive (and WR)  
runaways

(Dray *et al.* '05)



Disrupted binaries are  
“failed” GW sources!



## ...from disrupted binaries

- BH kicks
- Binary evolution

# Constraints on binary physics

- Orbital evolution  $\Leftrightarrow$  pre-SN period
- Mass transfer efficiency  $\Leftrightarrow$  pre-SN  $M_2$
- Angular momentum loss  $\Rightarrow$  isotropic re-emission, circumbinary disk, etc.



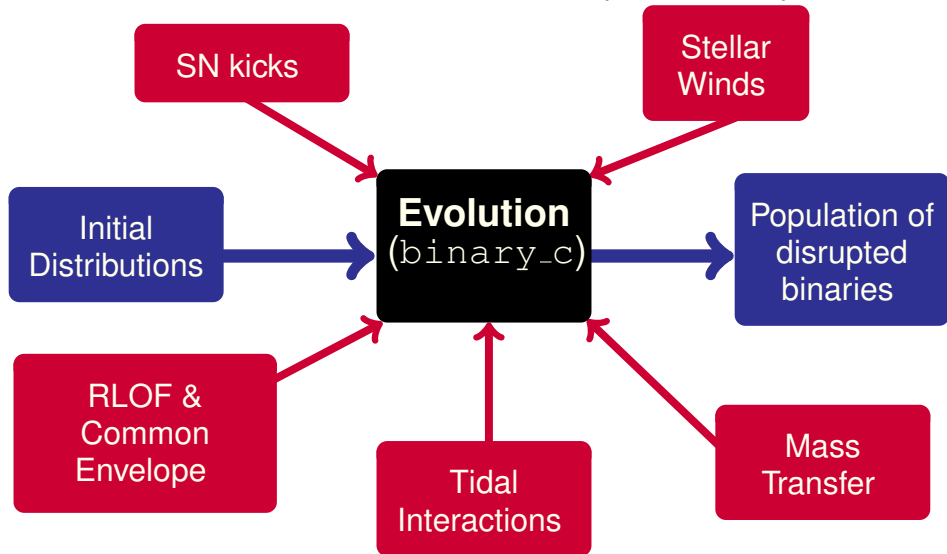


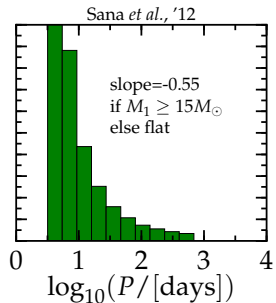
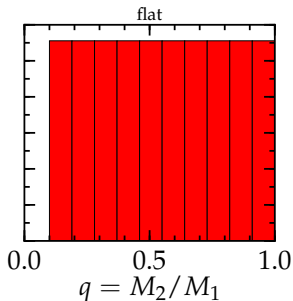
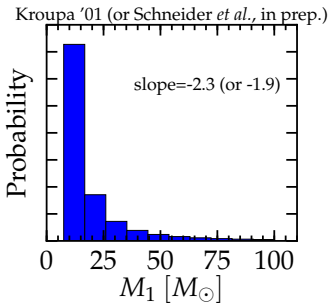
# What I do: Population Synthesis



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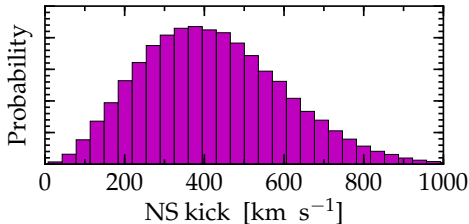
Fast  $\Rightarrow$  Allows statistical tests of the inputs & assumptions

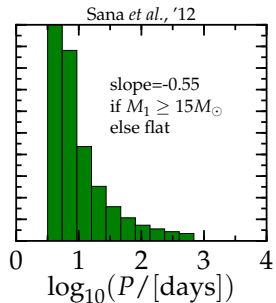
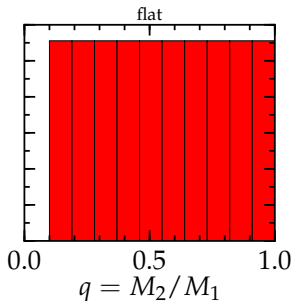
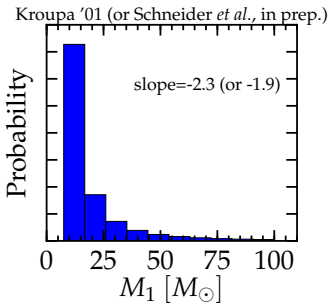




Maxwellian  $\sigma_{v_{\text{kick}}} = 265 \text{ km s}^{-1} + \text{Fallback rescaling}$

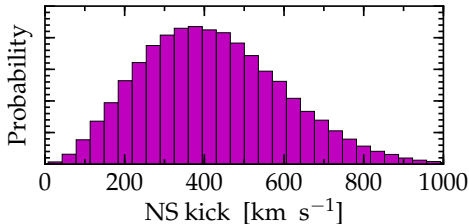
(from Fryer *et al.* '12)



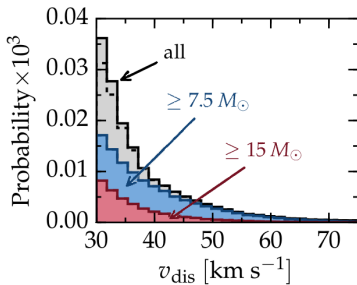


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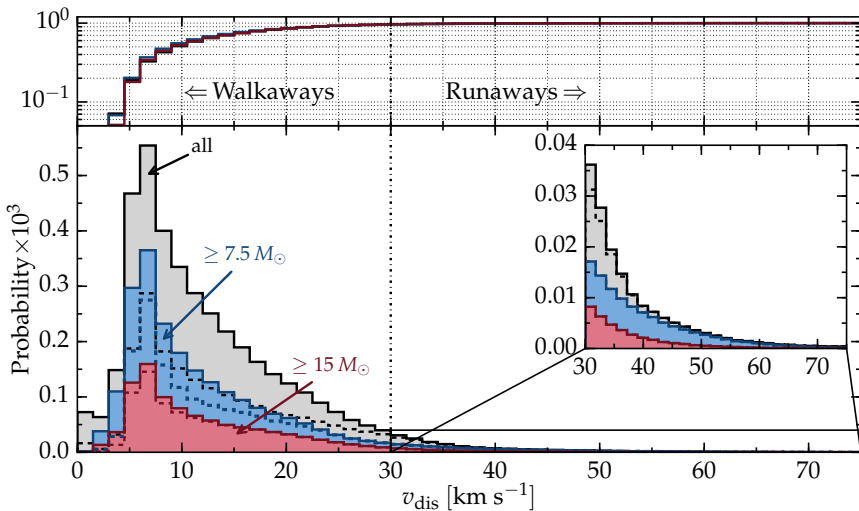
# Velocity distribution: Runaways



# Velocity distribution: Walkaways



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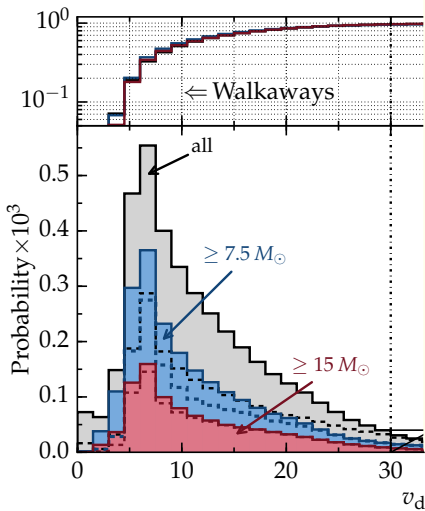


For each runaway there are  $\sim 20$  walkaways in the galaxy!

# Velocity distribution: Walkaways



Can't get rid of them!



Physical Assumptions	parameter	value	$\langle v \rangle$ [km s <sup>-1</sup> ]	$\mathcal{R}_{MS}$	$\mathcal{R}_{7.5}$	$\mathcal{R}_{15}$	$\mathcal{D}$
Fiducial population		see Sec. 2	12.9	17.9	16.3	17.2	0.84
Mass transfer efficiency	$\beta_{RLOF}$	0	15.6	9.6	7.6	4.0	0.85
		1	11.7	27.2	31.2	17.4	0.84
Angular momentum loss	$\gamma_{RLOF}$	-3	11.5	20.0	35.7	27.8	0.83
		1	13.1	17.2	15.3	16.8	0.84
Common envelope efficiency	$\alpha_{CE}$	0.1	12.9	20.7	16.2	17.1	0.85
		10	13.6	10.9	15.0	17.2	0.82
Mass ratio for case A merger	$q_{crit, A}$	0.8	12.7	18.2	16.6	18.1	0.84
		0.2	13.6	15.4	13.1	15.2	0.83
Mass ratio for case B merger	$q_{crit, B}$	1.0	9.7	39.7	313.8	117.0	0.88
		0.0	14.5	11.0	9.9	15.5	0.82
SN kick velocity	$\sigma_{kick}$	0	10.8	32.3	-	-	0.25
		1000	14.0	13.6	11.7	10.9	0.89
No kick for $M_{NS} \leq 1.35$		300	13.1	17.2	15.5	16.3	0.85
Fallback fraction	$f_b$	0	14.7	16.4	9.4	9.0	0.47
			14.0	13.1	10.5	8.1	0.94
Initial distributions	parameter	value	$\langle v \rangle$ [km s <sup>-1</sup> ]	$\mathcal{R}_{MS}$	$\mathcal{R}_{7.5}$	$\mathcal{R}_{15}$	$\mathcal{D}$
Period distribution slope	$\pi$	-1	13.4	16.6	14.4	15.0	0.86
		0	11.9	21.6	22.0	23.6	0.83
Initial period upperlimit	$\max(P_{ZAMS})$	$10^{3.5}$	14.2	9.2	12.3	16.9	0.80
Initial mass function slope	$\alpha'$	-1.9	13.4	16.2	14.2	14.8	0.78
		-3	12.1	21.1	21.0	23.3	0.90
Mass ratio slope	$\kappa$	-1	13.8	13.7	12.3	13.4	0.84
		1	12.2	24.3	22.1	21.8	0.83
Metallicity	$Z$	0.0002	23.6	3.8	2.8	1.8	0.76
		0.0047	16.7	9.4	7.2	7.4	0.82
		0.03	12.1	20.1	17.9	20.7	0.85
Initial spin distribution		R15	12.9	18.0	16.3	17.2	0.84

For each runaway there are  $\sim 20$  walkaways in the galaxy!

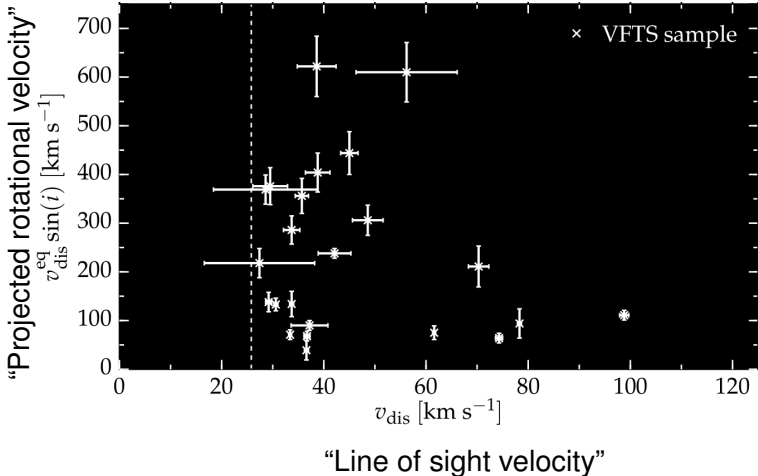
# 30 Doradus



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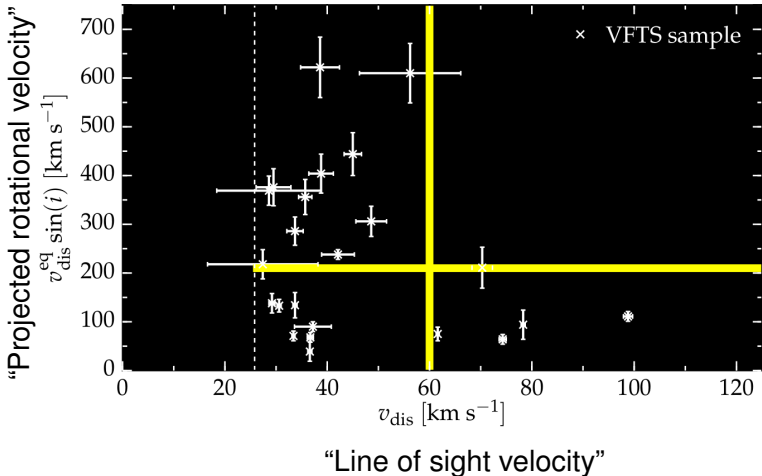


Largest homogeneous sample available to date

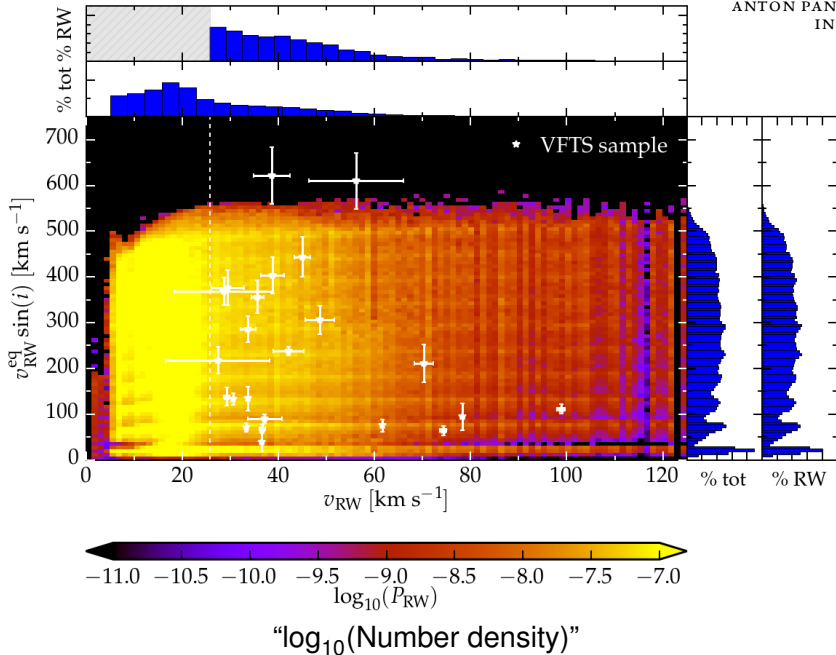




Largest homogeneous sample available to date



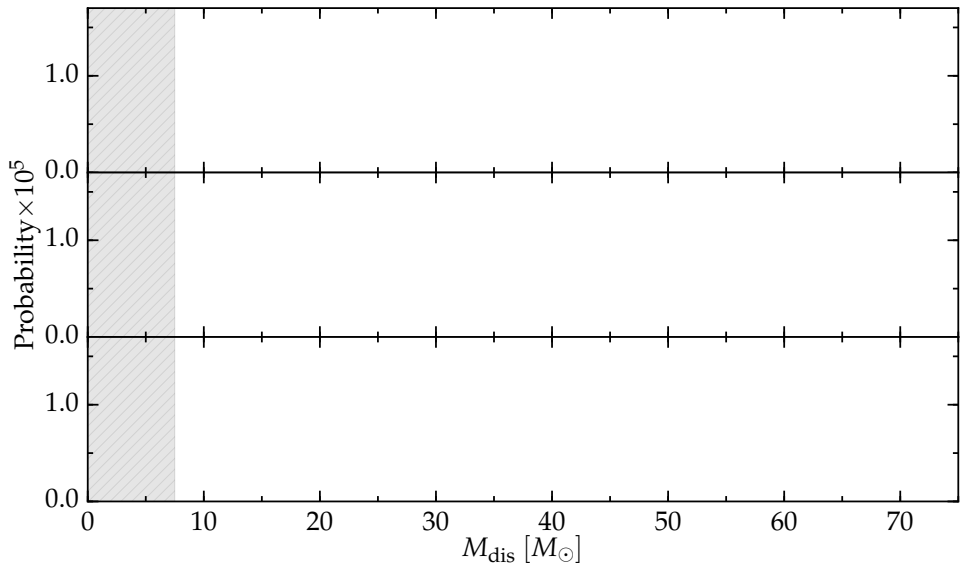
# O-type runaways



# How to test BH kick physics?



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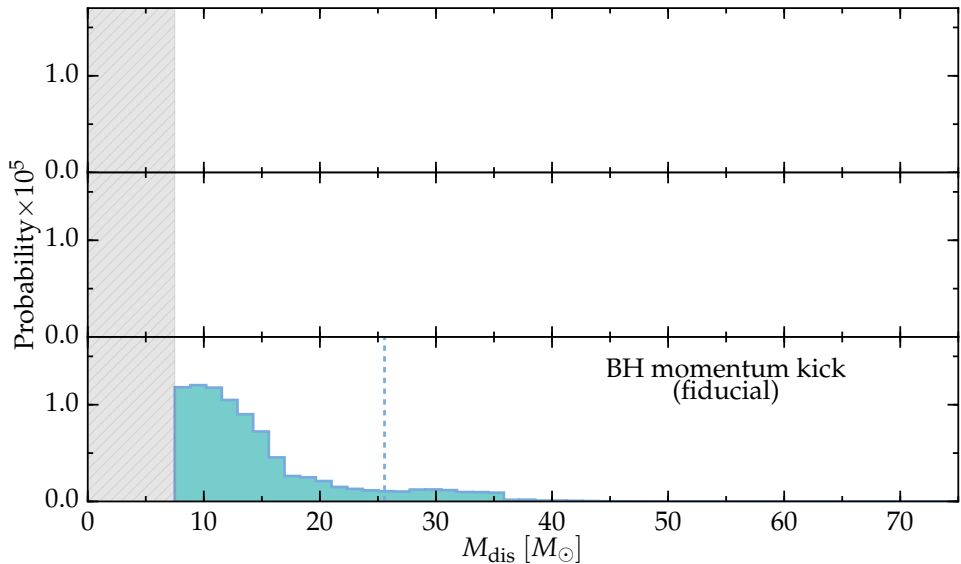


BH  $\Leftrightarrow M_{\text{BH}} \geq 2.5 M_{\odot}$ , Only  $v \geq 30 \text{ km s}^{-1}$  and  $M_{\text{dis}} \geq 7.5 M_{\odot}$

# (Massive) runaway mass function



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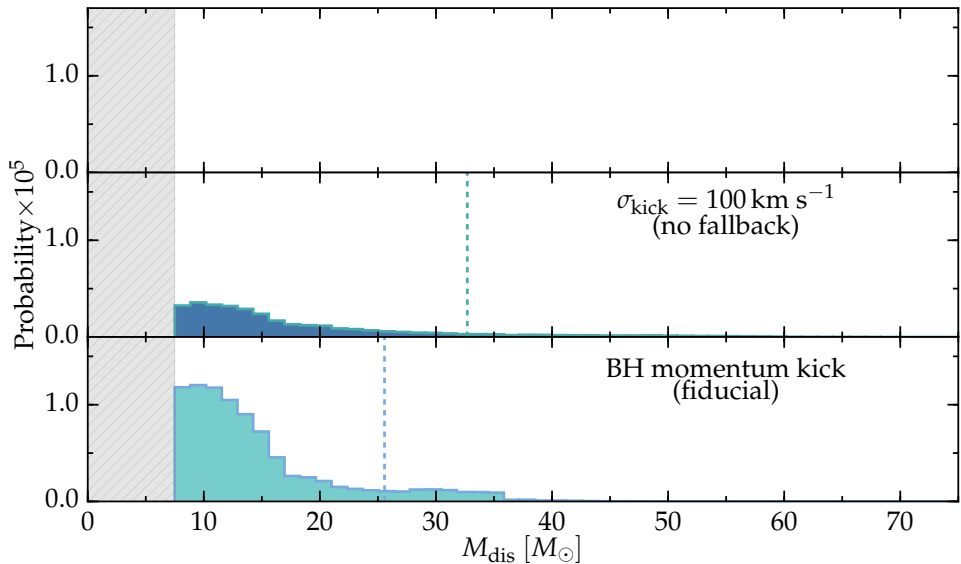


BH  $\Leftrightarrow M_{\text{BH}} \geq 2.5 M_{\odot}$ , Only  $v \geq 30 \text{ km s}^{-1}$  and  $M_{\text{dis}} \geq 7.5 M_{\odot}$

# (Massive) runaway mass function



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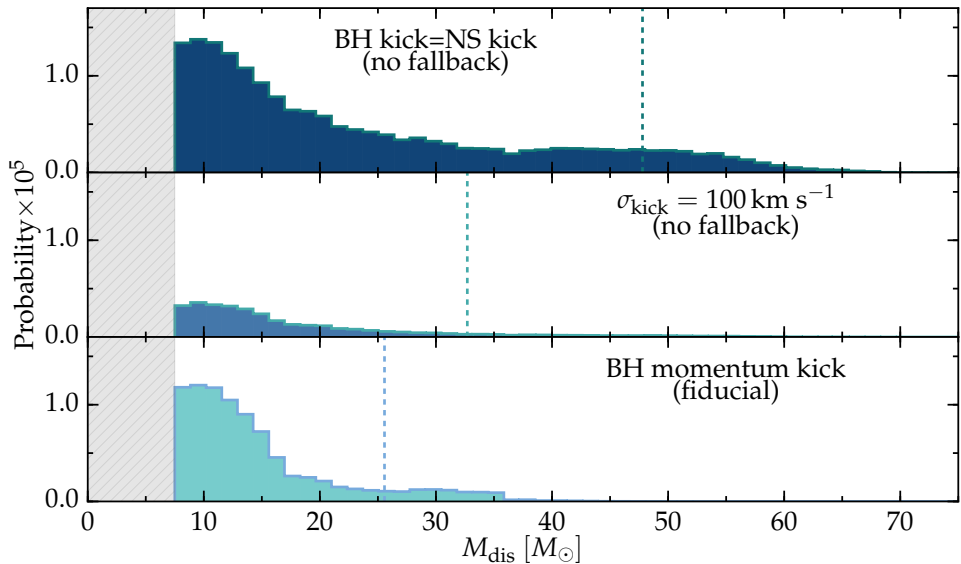


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BH  $\Leftrightarrow M_{\text{BH}} \geq 2.5 M_{\odot}$ , Only  $v \geq 30 \text{ km s}^{-1}$  and  $M_{\text{dis}} \geq 7.5 M_{\odot}$

~ 80% of binaries disrupted by first SN

Massive walk/runaways stars...

(regardless of their final velocity)

- ...“pollute” the field with binary products
- ...carry info on previous binary evolution
- ...can be used to learn about companion explosion
- ...enhance the massive stars feedback

## Stellar winds: NS or BH?

- Line driving mechanism

## Core Collapse in a Binary

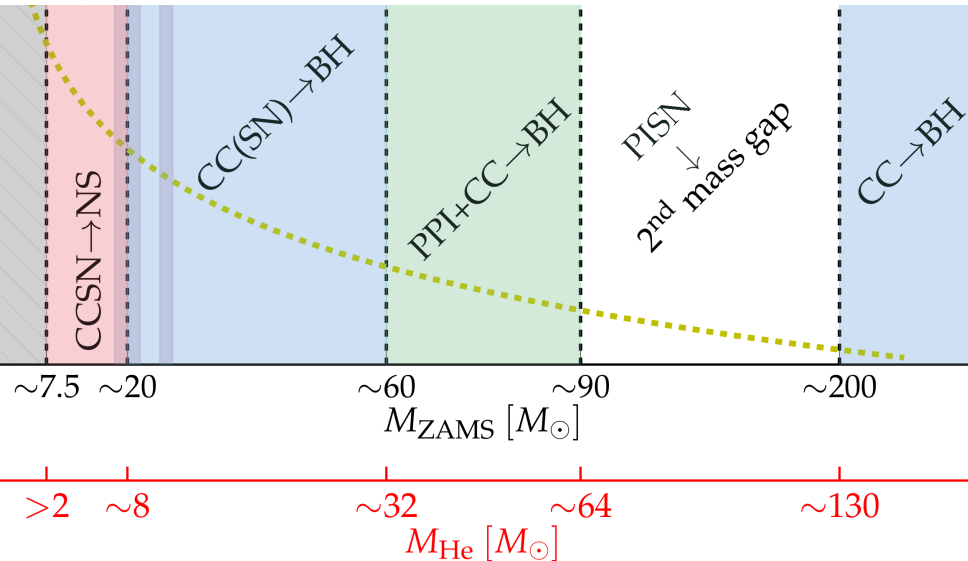
- Massive “widowed” stars

## Pulsational Pair Instability

- BH mass function above  $\sim 30 M_{\odot}$



$$IMF(M) \propto M^{-2.3}$$



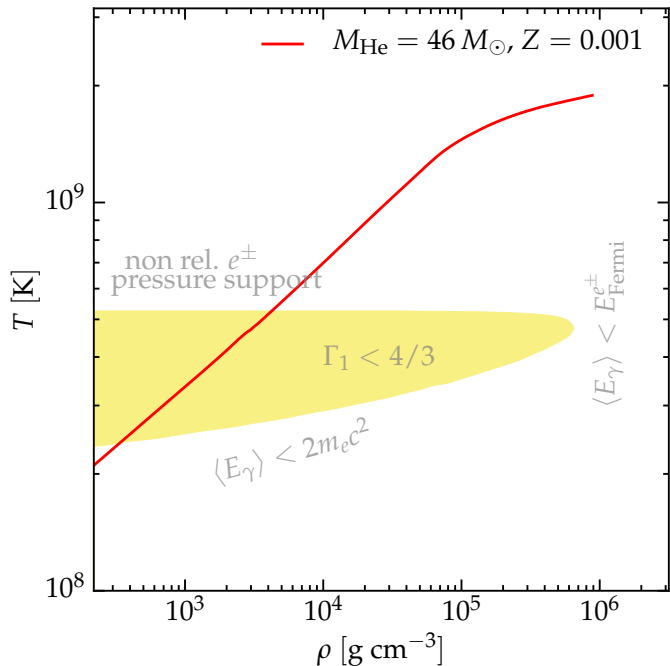
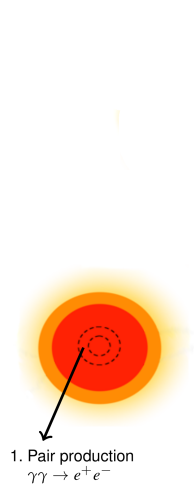


Radiation dominated:

$$P_{\text{tot}} \simeq P_{\text{rad}}$$

$$M_{\text{He}} \gtrsim 32 M_{\odot}$$

(Woosley 2017)



2. Softening of EOS  
triggers collapse

$$\Gamma_1 < \frac{4}{3}$$

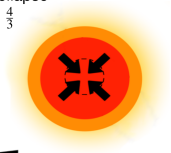


1. Pair production

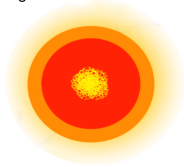


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triggers collapse

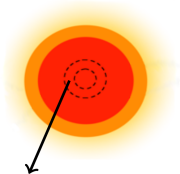
$$\Gamma_1 < \frac{4}{3}$$



3. Explosive  
(oxygen)  
ignition



1. Pair production

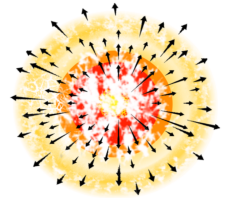
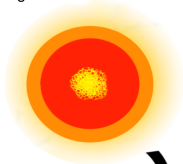


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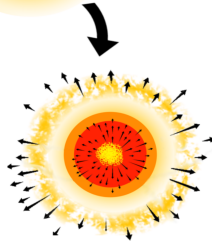
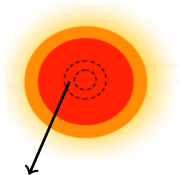


3. Explosive  
(oxygen)  
ignition



4b. PISN: complete disruption

1. Pair production



4a. Pulse with mass ejection

2. Softening of EOS  
triggers collapse  
 $\Gamma_1 < \frac{4}{3}$

1. Pair production  
 $\gamma\gamma \rightarrow e^+e^-$

3. Explosive  
(oxygen)  
ignition

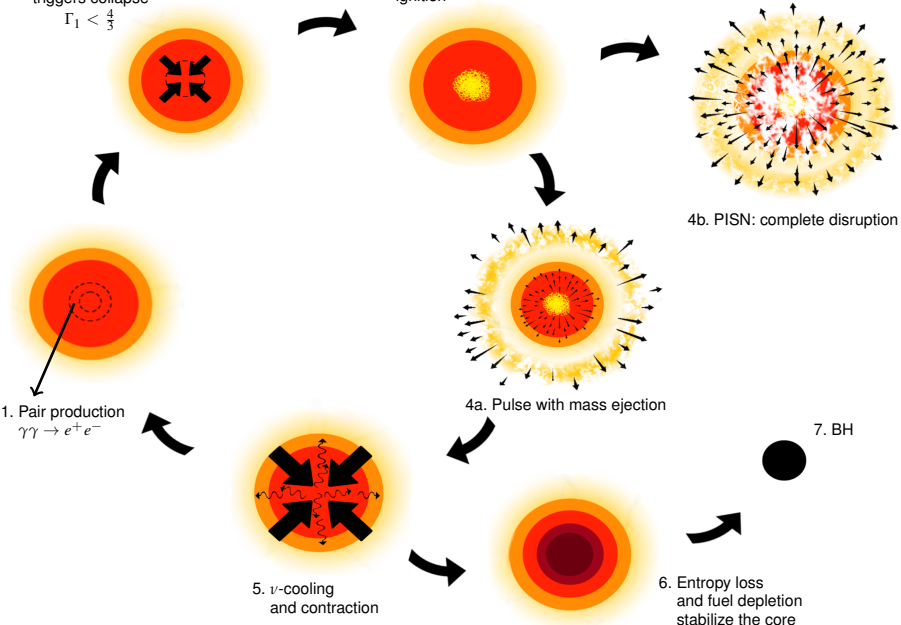
4b. PISN: complete disruption

4a. Pulse with mass ejection

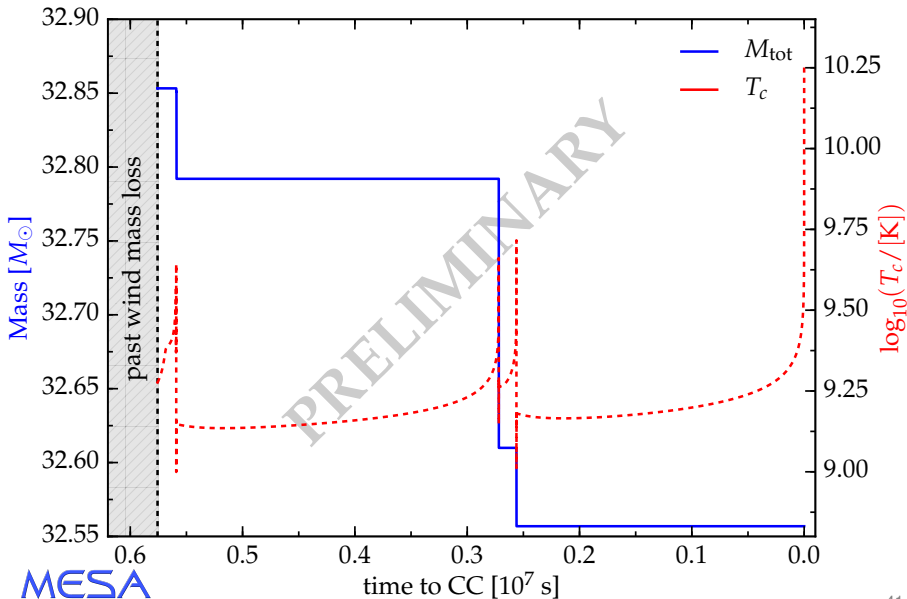
5.  $\nu$ -cooling  
and contraction

6. Entropy loss  
and fuel depletion  
stabilize the core

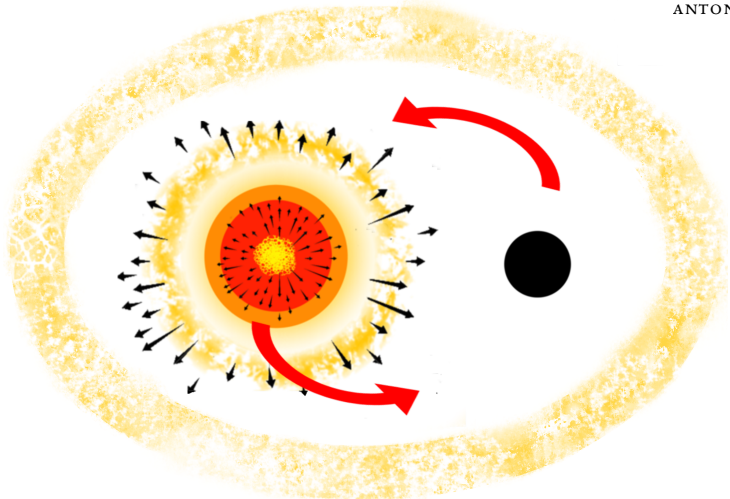
7. BH



Example:  $M_{\text{He}} = 46 M_{\odot}$ ,  $Z = 0.001$ , no envelope







- Can modify the BH mass function (2<sup>nd</sup> mass gap)
  - Creates circumbinary gas as late as possible
- How does the orbital parameter change because of the PPI?

- Massive stars are important for their environment
  - Ionization (e.g., HII regions)
  - Star formation
  - Chemical evolution & Nucleosynthesis
- Their evolution is determined by:
  - Initial mass
  - Rotation
  - Presence of companion star(s)
- They produce BH and NS that can later become GW sources

Uncertainties are related to radiative and/or hydrodynamical processes on evolutionary timescales.

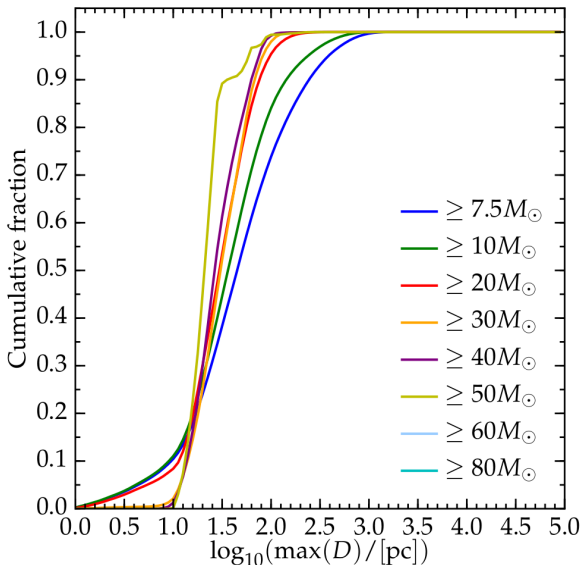
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Uncertainties are related to radiative and/or hydrodynamical processes on evolutionary timescales.

# Thanks!

## Backup slides

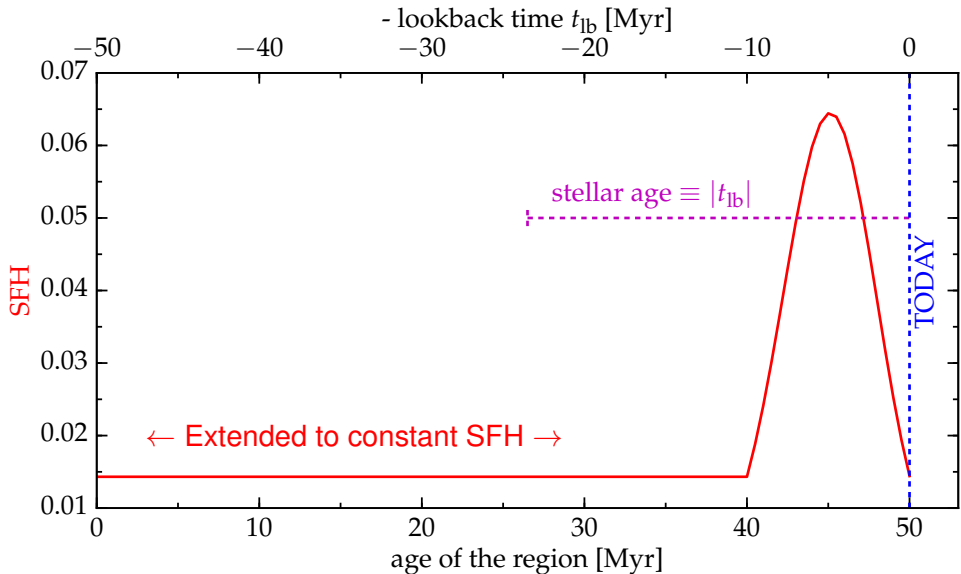
# Where do they die?

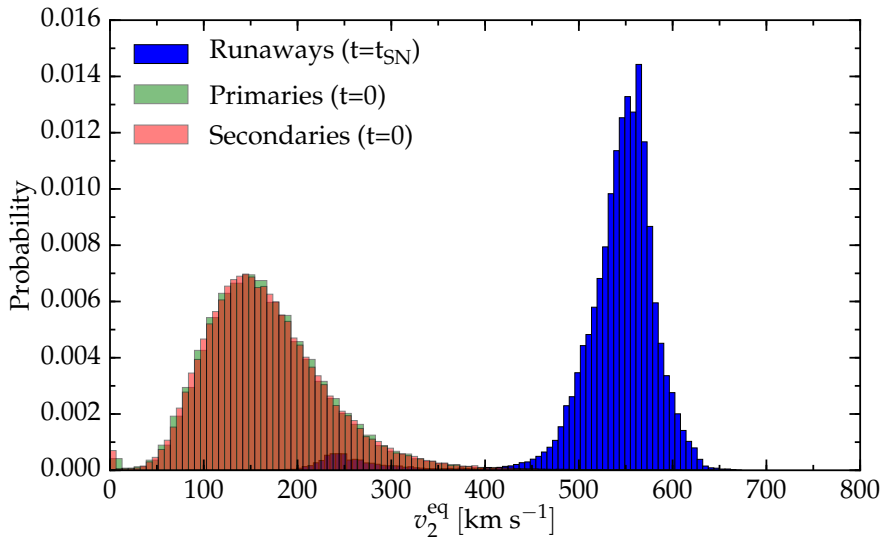


"Distance traveled"

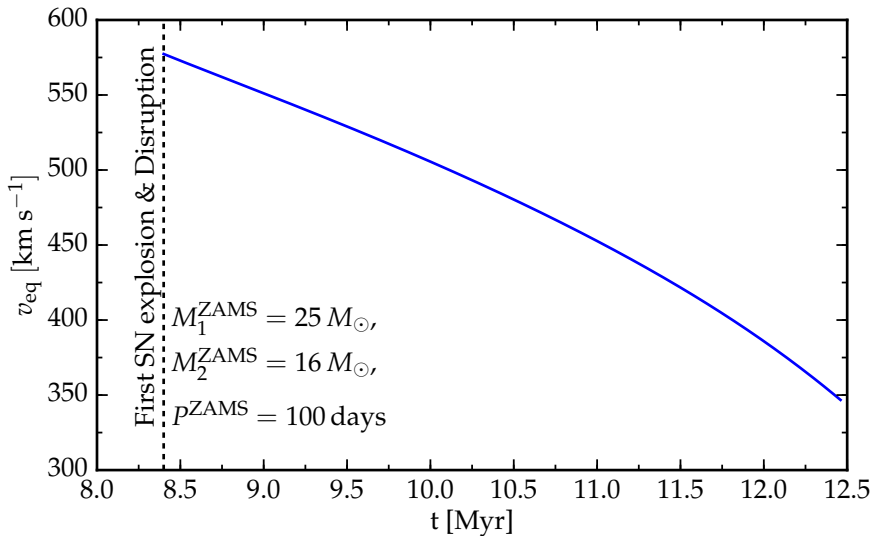
No potential well,  $\sigma_{\text{kick}} = 265 \text{ km s}^{-1}$

# 30 Doradus Star Formation History





Rotation @  $t=0$  from O. Ramirez-Agudelo *et al.* '15



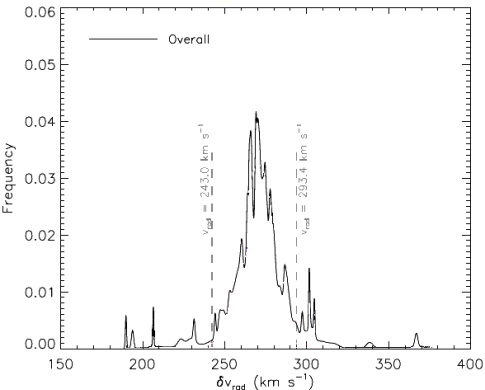


# Properties of the RWs in 30 Dor

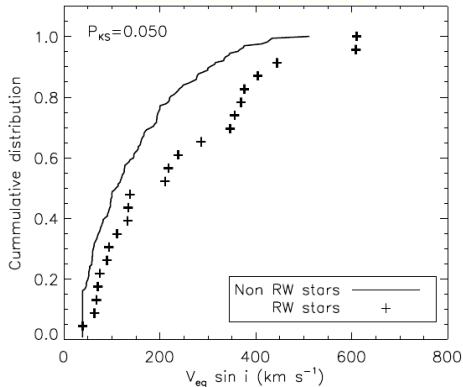


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## Line of Sight Velocities



## Rotational Velocities

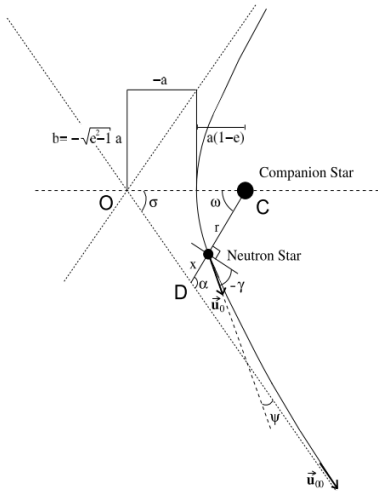


Credits: H. Sana *et al.* (in prep.)

Soon proper motions!

(Lennon *et al.* in prep.)

## Orbit from Tauris & Takens '98



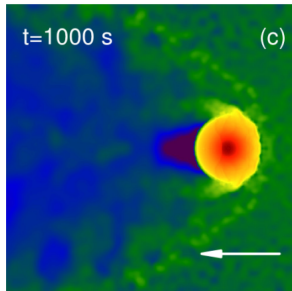
**Fig. 2.** Geometry of the orbital plane of a disrupted system ( $e > 1$ ,  $a < 0$ ) after an asymmetric supernova explosion. The reference frame is fixed on the companion star (C).

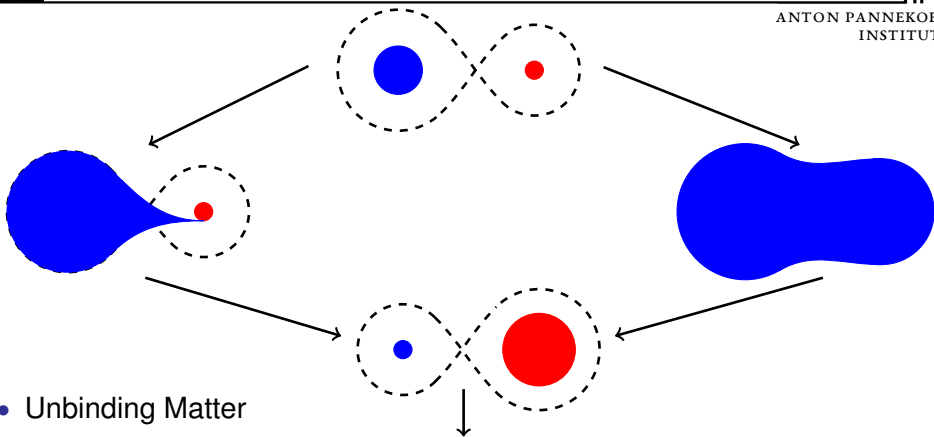
## Fallback from Fryer *et al.* '12

(Rapid SN mechanism)

$$\begin{cases} M_{\text{fb}} = 0.2 M_{\odot} & M_{\text{CO}} < 2.5 M_{\odot} \\ M_{\text{fb}} = 0.286 M_{\text{CO}} - 0.514 M_{\odot} & 2.5 M_{\odot} \leq M_{\text{CO}} < 6.0 M_{\odot} \\ f_{\text{fb}} = 1.0 & 6.0 M_{\odot} \leq M_{\text{CO}} < 7.0 M_{\odot} \\ f_{\text{fb}} = a_1 M_{\text{CO}} + b_1 & 7.0 M_{\odot} \leq M_{\text{CO}} < 11.0 M_{\odot} \\ f_{\text{fb}} = 1.0 & M_{\text{CO}} \geq 11.0 M_{\odot} \end{cases}$$

## Ejecta impact from Liu *et al.* '15





- **Unbinding Matter**

(e.g., Blaauw '61)

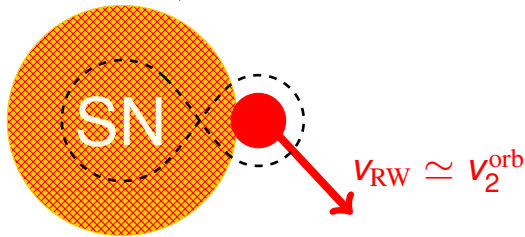
- **SN Natal Kick**

(e.g., Shklovskii '70, Janka '16)

- **Ejecta Impact**

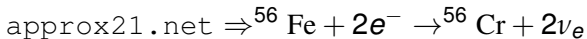
(e.g., Wheeler *et al.* '75,

Tauris & Takens '98, Liu *et al.* '15)



- Initially small effect  $\Rightarrow N_{\text{zones}} \gtrsim 20\,000$
- Complex nuclear burning  $\Rightarrow N_{\text{iso}} \gtrsim 200$

$$M_{\text{Ch}}^{\text{eff}} \sim (5.83 M_{\odot}) Y_e^2 \left[ 1 + \left( \frac{s_e}{\pi Y_e} \right)^2 \right]$$



$$Y_e(r=0) \equiv Y_e({}^{56}\text{Cr}) = 0.428$$

Largest array size in **MESA**:

$$\mathcal{L} \sim (N_{\text{iso}} + N_{\text{zones}})^2 \sim ((N_{\text{iso}} + 5) \cdot N_{\text{zones}}) \cdot (3N_{\text{iso}} + 9)$$

$\mathcal{L}$  is a FORTRAN integer  $\Rightarrow \max\{\text{memory}\} = 17\text{ Gb}$

## N-body interactions

least massive thrown out

...binaries matter

- (Binding) Energy reservoir
- Cross section  $\propto a^2 \gg R_*^2$

Poveda *et al.*, 1967

Grid of  $Z_{\odot} = 0.019$ , non-rotating stellar models:

- Initial mass:

$$M_{\text{ZAMS}} = \{15, 20, 25, 30, 35\} M_{\odot};$$

- Efficiency:

$$\eta = \left\{1, \frac{1}{3}, \frac{1}{10}\right\};$$

- Combinations of wind mass loss rates for “hot” ( $T_{\text{eff}} \geq 15$  [kK]), “cool” ( $T_{\text{eff}} < 15$  [kK]) and WR:

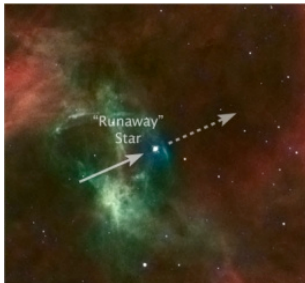
Kudritzki *et al.* '89; Vink *et al.* '00, '01;  
 Van Loon *et al.* '05; Nieuwenhuijzen *et al.* '90;  
 De Jager *et al.* '88;  
 Nugis & Lamers '00; Hamann *et al.* '98.

## ...of disrupting binaries

- Feedback
- Field  
contamination
- Massive Star  
Formation
- LBV

## ...of disrupting binaries

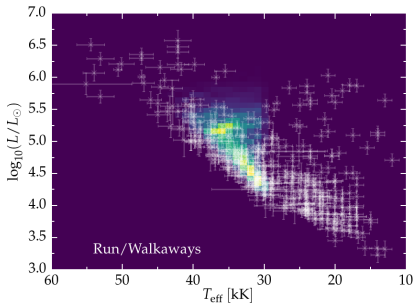
- Feedback
  - Field contamination
  - Massive Star Formation
  - LBV
- **Enhancement of massive stars feedback**
    - Larger volume
    - Spatial spread of CCSN  
(e.g., Conroy & Kratter '12)
    - $\sim 20\%$  increase in  $f_{\text{esc}}$   
(e.g., Kimm & Cen '14)





## ...of disrupting binaries

- Feedback
- **Field contamination**
- Massive Star Formation
- LBV
- **Contamination of field with binary products**
  - Are “single” stars really single?
  - Have they always been?



## ...of disrupting binaries

- Feedback
- Field contamination
- **Massive Star Formation**
- LBV
- **Massive star formation**
  - are isolated massive stars formed “in situ”?  
(e.g., Gavramadze *et al.* '12)

## ...of disrupting binaries

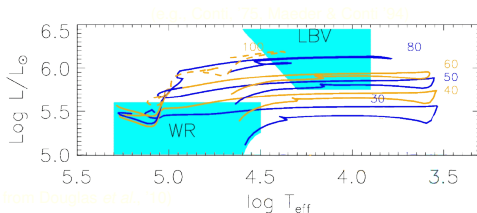
- LBV phenomenon**

- Do LBV require binarity?

- Feedback
- Field contamination
- Massive Star Formation
- **LBV**



### "Conti scenario"



(Fig. adapted from Douglas et al., 10)

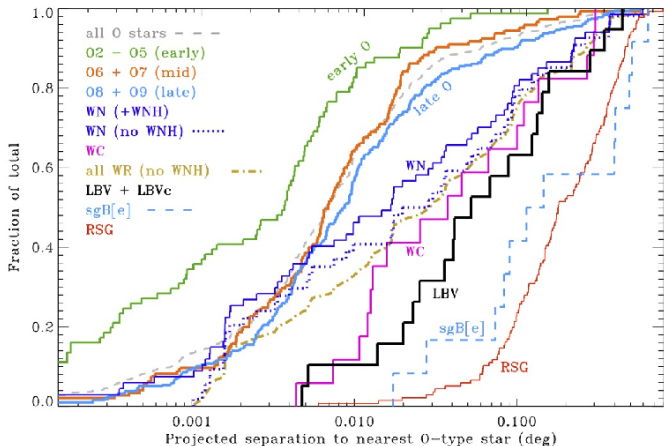
## ...of disrupting binaries

- **LBV phenomenon**

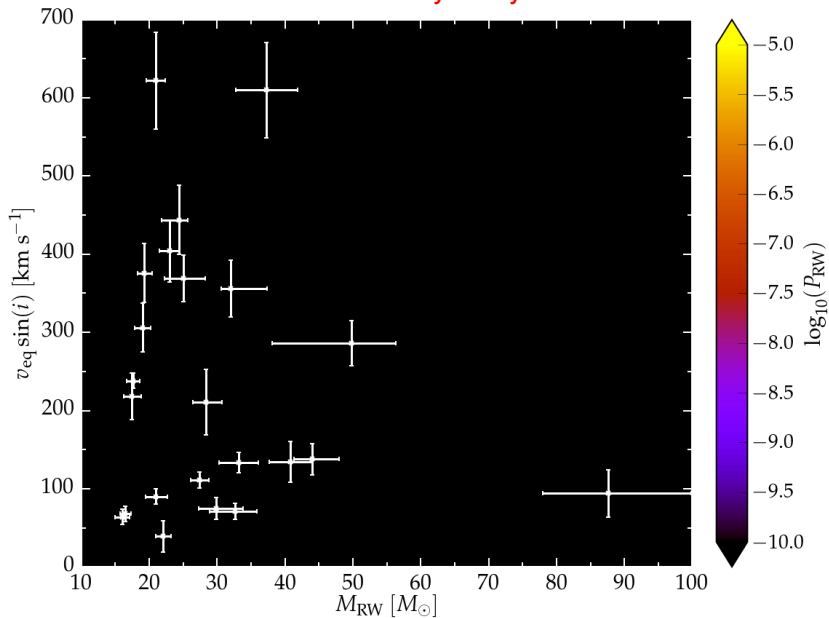
- Do LBV require binarity?

(e.g., Smith & Tombleson '15, Smith '16,  
Aghakhanloutakanloo *et al.* '17)

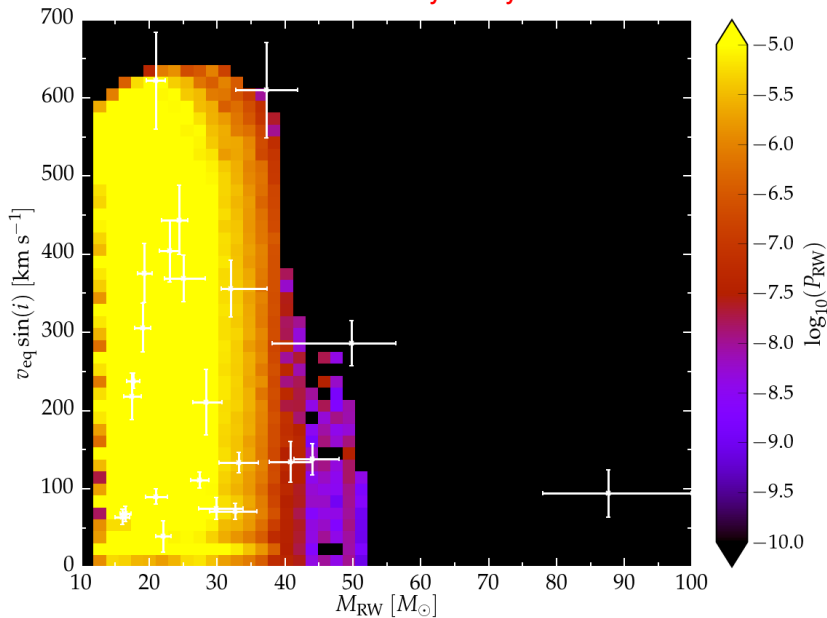
- Feedback
- Field contamination
- Massive Star Formation
- **LBV**



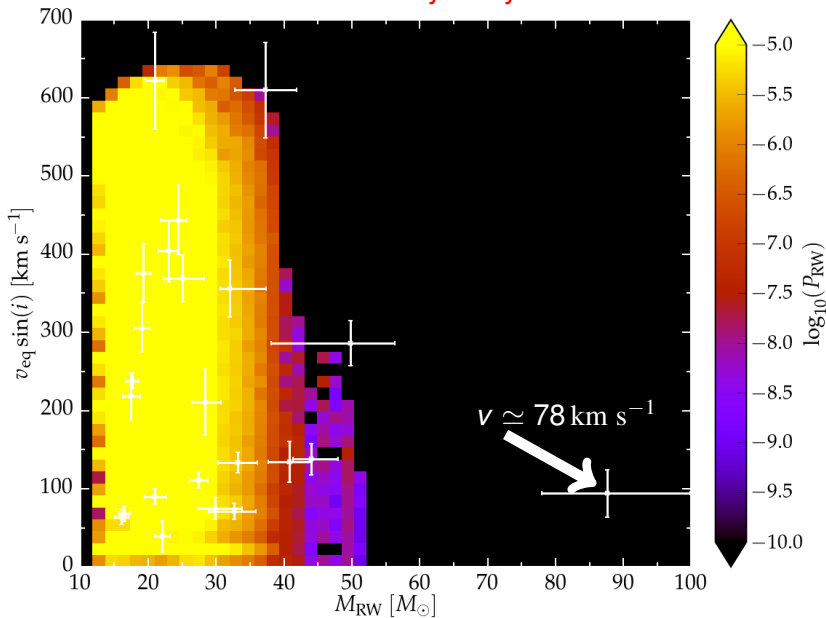
Runaways only



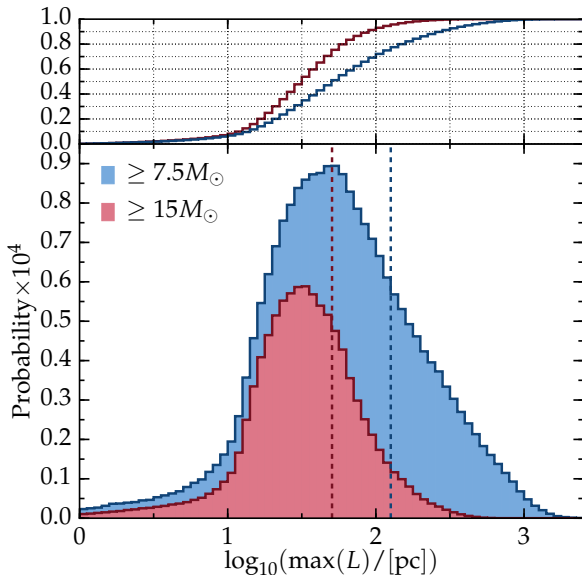
Runaways only



Runaways only



# Where do they die?



"Distance traveled"

No potential well,  $\sigma_{\text{kick}} = 265 \text{ km s}^{-1}$



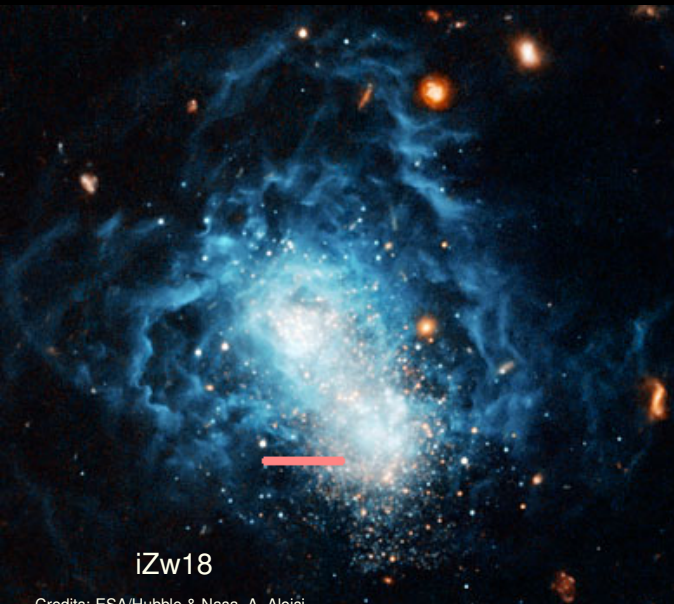
# Where do they die?



iZw18

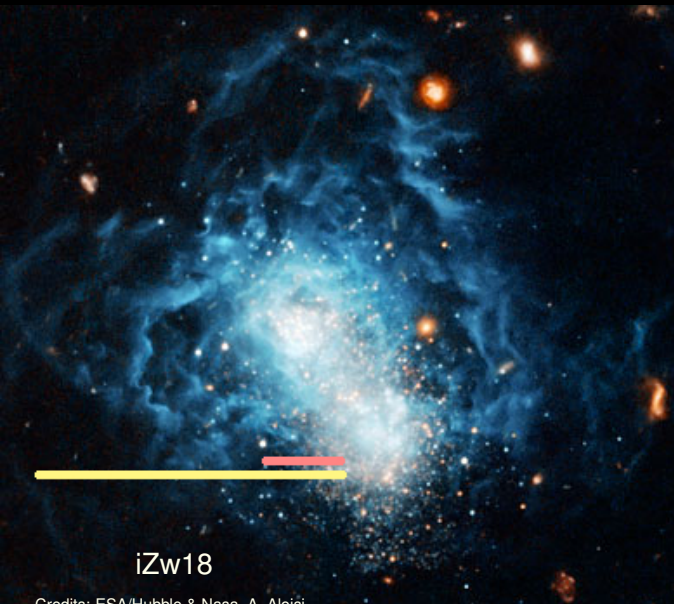
Credits: ESA/Hubble & Nasa, A. Aloisi

# Where do they die?



for  $M \geq 7.5 M_{\odot}$ :  
 $\langle D \rangle = 128 \text{ pc}$

# Where do they die?



iZw18

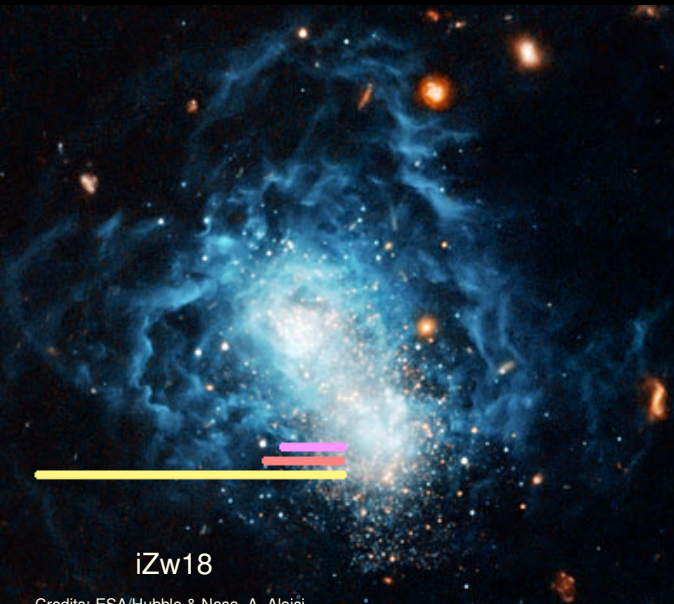
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for  $M \geq 7.5 M_{\odot}$ :

$\langle D \rangle = 128 \text{ pc}$

$\langle D_{\text{run}} \rangle = 525 \text{ pc}$

# Where do they die?



iZw18

Credits: ESA/Hubble & Nasa, A. Aloisi

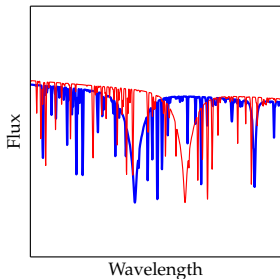
for  $M \geq 7.5 M_{\odot}$ :

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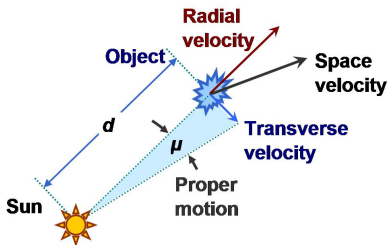
$$\langle D_{\text{walk}} \rangle = 103 \text{ pc}$$

Line of sight velocity:  
**Doppler shifts**



Transverse velocity:  
**Proper motions**

(if distance known)





Gaia will give proper motions & distances

- P Cygni line profiles
- Optical and near UV lines (e.g.  $H\alpha$ )
- Radio and IR continuum excess
- IR spectrum of molecules (e.g. CO)
- Maser lines (for low density winds)

[Back](#)

Assumptions commonly needed:

- Velocity structure:  $v(r) \simeq \left(1 - \frac{r}{R_*}\right)^\beta$  with  $\beta \simeq 1$
- Chemical composition and ionization fraction
- Spherical symmetry:  $\dot{M} = 4\pi r^2 \rho v(r)$
- Steadiness and (often) homogeneity

$\dot{M}$  derived from fit of (a few) spectral lines.

No theoretical guarantees coefficients are constant.